# Package: triangulation (via r-universe)

September 18, 2024

Type Package

Title Determine Position of Observer

Version 0.5.0

Date 2016-10-22

Description Measuring angles between points in a landscape is much easier than measuring distances. When the location of three points is known the position of the observer can be determined based solely on the angles between these points as seen by the observer. This task (known as triangulation) however requires onerous calculations - these calculations are automated by this package.

License LGPL

LazyData TRUE

RoxygenNote 5.0.1

NeedsCompilation no

Author Mathias Milfeldt [aut, cre]

Maintainer Mathias Milfeldt <mathias@milfeldt.dk>

Repository CRAN

Date/Publication 2016-10-29 13:47:55

# Contents



<span id="page-1-0"></span>determine\_angles *Determine angles as seen by observer*

# Description

Determine the angles (between three known points) as seen by an observer with a known position.

#### Usage

```
determine_angles(A, B, C, observer_position = c(0, 0), output_plot = TRUE,
 lines_in_plot = TRUE, angles_in_plot = TRUE, decimals_in_plot = 2)
```
#### Arguments



# Value

The angles as seen by the observer expressed in radians.

#### Examples

determine\_angles( $A = c(0, 0)$ ,  $B = c(10, 0)$ ,  $C = c(5, 5)$ , observer\_position=c(4,1)) determine\_angles( $A = c(0, 0)$ ,  $B = c(10, 0)$ ,  $C = c(5, 5)$ , observer\_position=c(4,40), angles\_in\_plot = FALSE)

<span id="page-2-0"></span>determine\_position *Determine position of observer*

#### Description

Determine the position of an observer based on angles between three known points as seen by the observer. At least two angles must be provided - preferably observer\_angle\_AB and observer\_angle\_AC (since this combination allows for solutions outside the triangle formed by the points A, B and C)

#### Usage

```
determine_position(A, B, C, observer_angle_AB, observer_angle_AC,
observer_angle_BC = NA, output_plot = TRUE, lines_in_plot = TRUE,
coordinates_in_plot = TRUE, decimals_in_plot = 2)
```
# Arguments



#### Value

Coordinates indicating the observers position. Note that several solutions might exist.

## Examples

determine\_position( $A = c(0, 0)$ ,  $B = c(10, 0)$ ,  $C = c(5, 5 * 3^0.5)$ , observer\_angle\_AB = pi \* 2/3,  $observer\_angle_AC = pi * 1/2)$ determine\_position( $A = c(0, 0)$ ,  $B = c(10, 0)$ ,  $C = c(5, 5)$ , observer\_angle\_AB = pi  $* 5/6$ , observer\_angle\_AC = pi \* 1/2, observer\_angle\_BC = NA, lines\_in\_plot = FALSE) determine\_position( $A = c(0, 0)$ ,  $B = c(10, 0)$ ,  $C = c(5, 5)$ , observer\_angle\_AB = pi  $* 5/6$ , observer\_angle\_AC =  $pi * 1/2$ , observer\_angle\_BC =  $pi * 2/3$ , lines\_in\_plot = FALSE)

<span id="page-3-0"></span>

#### Description

This function is similar to determine\_position()except for the fact that it is assumed that the angles are subject to measurement error. Hence a confidence region (error 'ellipse') is returned instead of an exact position.

#### Usage

```
determine_region(A, B, C, observer_angle_AB, observer_angle_AC,
 angle_error = pi/24, number_of_points = 200, output_plot = TRUE,
 lines_in_plot = FALSE, coordinates_in_plot = FALSE,
decimals_in.plot = 2)
```
# Arguments



#### Value

Coordinates indicating the outer border of the confidence region. Note that several different regions may exist.

#### Examples

determine\_region( $A = C(0, 0)$ ,  $B = C(10, 0)$ ,  $C = C(5, 5 * 3^0.5)$ , observer\_angle\_AB = pi \* 2/3,  $observer\_angle_AC = pi * 1/2)$ 

determine\_region( $A = C(0, 0)$ ,  $B = C(10, 0)$ ,  $C = C(5, 5)$ , observer\_angle\_AB = pi  $* 5/6$ ,  $observer\_angle\_AC = pi * 1/2$ , lines\_in\_plot = FALSE)

# <span id="page-4-0"></span>Index

determine\_angles, [2](#page-1-0) determine\_position, [3](#page-2-0) determine\_region, [4](#page-3-0)