

# Package: randcorr (via r-universe)

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**Type** Package

**Title** Generate a Random  $p \times p$  Correlation Matrix

**Version** 1.0

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**Description** Implements the algorithm by Pourahmadi and Wang (2015) <[doi:10.1016/j.spl.2015.06.015](https://doi.org/10.1016/j.spl.2015.06.015)> for generating a random  $p \times p$  correlation matrix. Briefly, the idea is to represent the correlation matrix using Cholesky factorization and  $p(p-1)/2$  hyperspherical coordinates (i.e., angles), sample the angles from a particular distribution and then convert to the standard correlation matrix form. The angles are sampled from a distribution with pdf proportional to  $\sin^k(\theta)$  ( $0 < \theta < \pi$ ,  $k \geq 1$ ) using the efficient sampling algorithm described in Enes Makalic and Daniel F. Schmidt (2018) <[arXiv:1809.05212](https://arxiv.org/abs/1809.05212)>.

**License** GPL ( $\geq 3$ )

**RoxygenNote** 6.0.1

**NeedsCompilation** no

**Repository** CRAN

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randcorr-package

*The randcorr package*

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## Description

This package contains a function to generate a random  $p \times p$  correlation matrix. This function implements the algorithm by Pourahmadi and Wang [1] for generating a random  $p \times p$  correlation matrix. Briefly, the idea is to represent the correlation matrix using Cholesky factorization and  $p(p-1)/2$  hyperspherical coordinates (i.e., angles), sample the angles from a particular distribution and then convert to the standard correlation matrix form. The angles are sampled from a distribution with a probability density function proportional to  $\sin^k(\theta)$  ( $0 < \theta < \pi$ ,  $k \geq 1$ ) using the efficient sampling algorithm described in [2].

## Details

For usage, see the examples in `randcorr` and `randcorr.sample.sink`.

## Note

To cite this package please reference:

Makalic, E. & Schmidt, D. F. An efficient algorithm for sampling from  $\sin^k(x)$  for generating random correlation matrices arXiv:1809.05212, 2018 <https://arxiv.org/abs/1809.05212>

A MATLAB-compatible implementation of the sampler in this package can be obtained from: <https://au.mathworks.com/matlabcentral/fileexchange/68810-randcorr>

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## References

[1] Mohsen Pourahmadi and Xiao Wang, Distribution of random correlation matrices: Hyperspherical parameterization of the Cholesky factor, *Statistics & Probability Letters*, Volume 106, Pages 5-12, 2015.

[2] Enes Makalic and Daniel F. Schmidt An efficient algorithm for sampling from  $\sin^k(x)$  for generating random correlation matrices, arXiv:1809.05212, 2018.

## See Also

`randcorr`, `randcorr.sample.sink`

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randcorr	<i>Generate a random p x p correlation matrix</i>
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**Description**

Generate a random p x p correlation matrix

**Usage**

```
randcorr(p)
```

**Arguments**

p                      A scalar positive integer denoting the size of the correlation matrix

**Value**

A random p x p correlation matrix

**Details**

This function implements the algorithm by Pourahmadi and Wang [1] for generating a random p x p correlation matrix. Briefly, the idea is to represent the correlation matrix using Cholesky factorization and  $p(p-1)/2$  hyperspherical coordinates (i.e., angles), sample the angles from a particular distribution and then convert to the standard correlation matrix form. The angles are sampled from a distribution with probability density function  $\sin^k(\theta)$  ( $0 < \theta < \pi$ ,  $k \geq 1$ ) using the efficient sampling algorithm described in [2].

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[1] Mohsen Pourahmadi and Xiao Wang, Distribution of random correlation matrices: Hyperspherical parameterization of the Cholesky factor, *Statistics & Probability Letters*, Volume 106, Pages 5-12, 2015.

[2] Enes Makalic and Daniel F. Schmidt An efficient algorithm for sampling from  $\sin^k(x)$  for generating random correlation matrices, arXiv:1809.05212, 2018.

**See Also**

[randcorr.sample.sink](#)

## Examples

```
# -----  
# Example 1: Generate a 5x5 correlation matrix  
C = randcorr(5)  
  
# Example 2: Generate a 1000x1000 correlation matrix  
C = randcorr(1000)
```

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randcorr.sample.sink    *Sample from the (unnormalized) distribution  $\sin(x)^k$ ,  $0 < x < \pi$ ,  $k \geq 1$*

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## Description

Sample from the (unnormalized) distribution  $\sin(x)^k$ ,  $0 < x < \pi$ ,  $k \geq 1$

## Usage

```
randcorr.sample.sink(k)
```

## Arguments

**k**                    The  $k$  parameter of the distribution. If this is a vector, the function draws a random variate for every entry in  $k$ .

## Value

A vector of samples with length equal to the length of  $k$

## Details

This code generates samples from the  $\sin(x)^k$  distribution using the specified vector  $k$ .

## References

Enes Makalic and Daniel F. Schmidt An efficient algorithm for sampling from  $\sin^k(x)$  for generating random correlation matrices, arXiv:1809.05212, 2018.

## See Also

[randcorr](#)

**Examples**

```
# -----  
# Example 1: Draw a random variate from  $\sin(x)$ ,  $0 < x < \pi$   
x = randcorr.sample.sink(1)  
  
# Example 2: Draw a million random variate from  $\sin^3(x)$ ,  $0 < x < \pi$   
x = randcorr.sample.sink( matrix(3, 1e6,1) )  
mean(x)  
var(x)
```

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