Package: ldt (via r-universe)

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Title Automated Uncertainty Analysis

Version 0.5.3

Description Methods and tools for model selection and multi-model inference (Burnham and Anderson (2002) [<doi:10.1007/b97636>](https://doi.org/10.1007/b97636), among others). 'SUR' (for parameter estimation), 'logit'/'probit' (for binary classification), and 'VARMA' (for time-series forecasting) are implemented. Evaluations are both in-sample and out-of-sample. It is designed to be efficient in terms of CPU usage and memory consumption.

License GPL $(>= 3)$

URL <https://github.com/rmojab63/LDT>

VignetteBuilder knitr

Encoding UTF-8

SystemRequirements C++17

RoxygenNote 7.2.3

Depends R $(>= 3.5.0)$

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LinkingTo BH, Rcpp

Config/testthat/edition 3

LazyData true

RdMacros Rdpack

NeedsCompilation yes

Author Ramin Mojab [aut, cre], Stephen Becker [cph] (BSD 3-clause license. Original code for L-BFGS-B algorithm. The L-BFGS-B algorithm was written in the 1990s (mainly 1994, some revisions 1996) by Ciyou Zhu (in collaboration with R.H. Byrd, P. Lu-Chen and J. Nocedal). L-BFGS-B Version 3.0 is an algorithmic update from 2011, with coding changes by J. L. Morales)

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adjust_indices_after_remove

Adjust Indices in a List

Description

This function adjusts a list of indices after certain indices have been removed. The new indices will point to the same elements as the original indices. If an index is removed, it will also be removed from the indices list.

Usage

adjust_indices_after_remove(indicesList, removedIndices)

Arguments

indicesList A list of integer vectors, each representing a set of indices. removedIndices A vector of integers representing the indices to be removed.

Value

A list of adjusted indices. Each set of indices is adjusted separately.

AIC.ldt.estim *Akaike Information Criterion*

Description

This function extracts Akaike information criterion from an ldt.estim object.

Usage

S3 method for class 'ldt.estim' $AIC(object, ..., k = NA)$

Arguments

Value

The value of AIC for the whole system. #' @importFrom stats AIC

BIC.ldt.estim *Bayesian Information Criterion*

Description

This function extracts Baysian information criterion from an ldt.estim object.

Usage

S3 method for class 'ldt.estim' BIC(object, ...)

Arguments

boxCoxTransform 5

Value

The value of BIC for the whole system.

boxCoxTransform *Box-Cox Transformation of Numeric Matrix*

Description

This function applies the Box-Cox transformation to the columns of a numeric matrix.

Usage

```
boxCoxTransform(data, lambdas, ...)
```
Arguments

Value

Examples

```
data <- matrix(rnorm(40), ncol = 2)
result <- ldt:::boxCoxTransform(data, c(0.5, 0.5))
```


This function extracts coefficient matrix from an ldt.estim object.

Usage

```
## S3 method for class 'ldt.estim'
coef(object, equations = NULL, removeZeroRest = FALSE, ...)
```
Arguments

Value

If zero restrictions are not removed, it is a matrix containing the coefficients of the system. Each column of the matrix belongs to an equation. Explanatory variables are in the rows. Otherwise, coefficients of different equations are reported in a list.

coefs.table *Create Table of Coefficients*

Description

This function summarizes a list of estimated models (output of estim.? functions) and creates a table of coefficients.

Usage

```
coefs.table(
  estimList,
  depList = NULL,
  tableFun = "coef_star",
  formatNumFun = NULL,
  regInfo = NULL,
  textFun = NULL,
  textFun_sub = NULL,
  textFun_max = 20,
```

```
expList = NA,
  \text{later} = \text{TRUE},
  numFormat = "%.2f"
\lambda
```
Arguments

Details

The first part of the table is the header, followed by the coefficients. At the bottom, you can insert the following items by specifying regInfo:

- An empty character string (i.e., "") for inserting empty line.
- "sigma2" for the covariance of regression, if it is available.
- An available metric name in the row names of estimList[[...]]\$metrics.

Furthermore, second argument in textFun can be:

- hname: shows that the text is a header name from the estimList elements.
- dname: shows that the text is an endogenous variable name from the columns of coefs matrix.
- rname: shows that the text is a key given in regInfo.
- ename: shows that the text is an explanatory variable name from the rows of coefs matrix.
- NULL: shows that the text is a specific code or something else.

Value

A data frame with (formatted) requested information.

Examples

See 'search.?' or 'estim.?' functions for some examples.

combine.search *Combine a List of* ldt.search *Objects*

Description

Combine a List of ldt.search Objects

Usage

combine.search(list, method)

Arguments

Value

the combined ldtsearch object

data.berka *Berka and Sochorova (1993) Dataset for Loan Default*

Description

This dataset is a part of the Berka and Sochorova (1993) study, which contains information on loan defaults. The data was generated using the code in the '/data-raw/data-berka.R' file.

Usage

data.berka

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Format

A list with the following items:

- y A vector representing the labels. It contains 1 for default and 0 for non-default. Any observation with default (i.e., 'default' and 'finished with default') is considered to be a positive.
- x A matrix with explanatory variables in the columns.
- w A vector with the weight of each observation. This is mathematically generated to balance the observations.

descriptions A list that describes the column names.

Source

Berka and Sochorova (1993)

data.pcp *IMF's Primary Commodity Prices*

Description

This is a subset of the IMF's Primary Commodity Prices dataset (non-index data is omitted). The data was generated using the code in the '/data-raw/data-pcp.R' file.

Usage

data.pcp

Format

A list with the following items:

data A data frame with monthly variables in the columns.

descriptions A list that describes the columns of data.

datatypes A character array that describes the type of data in the columns of data.

start A number that indicates the frequency of the first observation in data.

Source

International Commodity Prices (2023)

This dataset is derived from the World Development Indicator (WDI) dataset. It contains information on long-run output growth after 2006 and its potential explanatory variables before that year. The data was generated using the code in the '/data-raw/data-wdi.R' file.

Usage

data.wdi

Format

A list with the following items:

y A vector representing the long-run output growth after 2006. Each element represents a country.

x A matrix with explanatory variables in the columns. Each row represents a country.

splitYear A number that indicates how y and x are calculated.

names A list of pairs that describe the code and the name of variables in y and x.

Source

World Bank (2022)

Description

This function extracts data of a endogenous variable(s) from an estimated model.

Usage

```
endogenous(object, equations = NULL, ...)
```
Arguments

Value

A data frame containing the endogenous data.

This function takes a list of equations and a data frame, and returns a matrix where the response variables are in the first columns, and the predictor variables are in the subsequent columns.

Usage

```
eqList2Matrix(equations, data, addIntercept = FALSE)
```
Arguments

Details

The function checks for duplicate response variables across equations and throws an error if any are found. It also ensures that predictor variables are not duplicated in the final matrix.

Value

Examples

```
data <- data.frame(income = c(50000, 60000, 80000, 85000, 65000),
                   age = c(25, 32, 47, 51, 36),
                   education = c(16, 18, 20, 20, 16),
                   savings = c(20000, 25000, 30000, 35000, 40000))
equations <- list(as.formula("income ~ age + education"),
                  as.formula("savings \sim age + education"))
matrix_data <- ldt:::eqList2Matrix(equations, data, addIntercept = TRUE)
print(matrix_data)
```


Use this function to estimate a binary choice model.

Usage

```
estim.bin(
  data,
 linkFunc = c("logit", "probit"),
 pcaOptionsX = NULL,
  costMatrices = NULL,
  optimOptions = get.options.newton(),
  aucOptions = get.options.roc(),
  simFixSize = 0,
  simTrainFixSize = 0,
  simTrainRatio = 0.75,
  simSeed = 0,
 weightedEval = FALSE,
  simMaxConditionNumber = Inf
\mathcal{L}
```
Arguments

estim.bin 13

A number for the maximum value for the condition number in the simulation.

Details

As documented in chapter 12 in Greene and Hensher (2010), binary regression is a statistical technique used to estimate the probability of one of two possible outcomes for a variable such as y_i , i.e., $p = P(y = 1)$ and $q = P(y = 0)$. The most commonly used binary regression models are the logit and probit models. In general, a binary regression model can be written as $f(p) = z' \gamma + v$, where the first element in γ is the intercept and $f(p)$ is a link function. For logit and probit models we have $f(p) = \ln \frac{p}{1-p}$ and $f(p) = \Phi^{-1}(p)$ respectively, where Φ^{-1} is the inverse cumulative distribution function of the standard normal distribution.

Given an independent sample of length N , the parameters of the binary regression model are estimated using maximum likelihood estimation. Assuming that some observations are more reliable or informative than others and w_i for $i = 1, \ldots, N$ reflects this fact, the likelihood function is given by:

$$
L(\gamma) = \prod_{i=1}^{N} (p_i)^{w_i y_i} (1 - p_i)^{w_i (1 - y_i)},
$$

where $p_i = \frac{\exp \gamma z_i}{1 + \exp \gamma z_i}$ for logit model and $p_i = \Phi(\gamma z_i)$ for probit model. 1dt uses feasible GLS to calculate the initial value of the coefficients and a weighted least squares estimator to calculate the initial variance matrix of the error terms (see page 781 in Greene (2020)). The condition number of the estimation is calculated by multiplying 1-norm of the observed information matrix at the maximum likelihood estimator and its inverse (e.g., see page 94 in Trefethen and Bau (1997)). Furthermore, if x is a new observations for the explanatory variables, the predicted probability of the positive class is estimated by $p_i = \frac{\exp \gamma x}{1 + \exp \gamma x}$ for logit model and $p_i = \Phi(\gamma x)$ for probit model. Note that the focus in ldt is model uncertainty and the main purpose of exporting this method is to show the inner calculations of the search process in [search.bin](#page-63-1) function.

References

Greene WH (2020). *Econometric analysis*, 8th edition. Pearson Education Limited, New York. ISBN 9781292231136.

Greene WH, Hensher DA (2010). *Modeling ordered choices: A primer*. Cambridge University Press. ISBN 9780511845062, [doi:10.1017/cbo9780511845062.](https://doi.org/10.1017/cbo9780511845062)

Trefethen LN, Bau D (1997). *Numerical linear algebra*. Society for Industrial and Applied Mathematics. ISBN 9780898714876.

See Also

[search.bin](#page-63-1)

Examples

```
# Example 1 (simulation, small model):
set.seed(123)
sample <- sim.bin(3L, 100)
print(sample$coef)
data <- data.frame(sample$y, sample$x)
# Estimate using glm
fit \leq glm(Y \sim X1 + X2, data = data, family = binomial())
print(fit)
# Estimate using 'ldt::estim.bin'
fit \leq estim.bin(data = get.data(data = data,
                                 equations = list(Y \sim X1 + X2),
                  linkFunc = "logit")
print(fit)
plot_data <- plot(fit, type = 1)
# See 'plot.ldt.estim()' function documentation
# Example 2 (simulation, large model with PCA analysis):
sample <- sim.bin(30L, 100, probit = TRUE)
data <- data.frame(sample$y, sample$x)
colnames(data) <- c(colnames(sample$y),colnames(sample$x))
pca_options <- get.options.pca(ignoreFirst = 1, exactCount = 3)
fit <- estim.bin(data = get.data(cbind(sample$y, sample$x),
                                  endogenous = ncol(sample$y),
                                  addIntercept = FALSE),
                  linkFunc = "probit",
                  pcaOptionsX = pca_options)
print(fit)
plot_data <- plot(fit, type = 2)
```
estim.binary.model.string *Get Model Name*

Description

Get Model Name

Usage

estim.binary.model.string(object)

Arguments

object A estim.bin object

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Value

model string

estim.sur *Estimate a SUR Model*

Description

Use this function to estimate a Seemingly Unrelated Regression model.

Usage

```
estim.sur(
 data,
  searchSigMaxIter = 0,
  searchSigMaxProb = 0.1,
  restriction = NULL,
 pcaOptionsY = NULL,
 pcaOptionsX = NULL,
  simFixSize = 0,
  simTrainFixSize = 0,
  simTrainRatio = 0.75,
  simSeed = 0,simMaxConditionNumber = Inf
)
```
Arguments

A number for the maximum value for the condition number in the simulation.

Details

As described in section 10.2 in Greene (2020), this type of statistical model consists of multiple regression equations, where each equation may have a different set of exogenous variables and the disturbances between the equations are assumed to be correlated. The general form with m equations can be written as $y_i = z_i' \gamma_i + v_i$ and $E(v_i v_j) = \sigma_{ij}^2$ for $i = 1, \dots m$. Assuming that a sample of N independent observations is available, we can stack the observations and use the following system for estimation:

$$
Y = XB + V, \quad \text{vec}B = R\gamma,
$$

where the columns of $Y : N \times m$ contain the endogenous variables for each equation and the columns of $X : N \times k$ contain the explanatory variables, with k being the number of unique explanatory variables in all equations. Note that X combines the z_i variables, and the restrictions imposed by $R: m \times q$ and $\gamma: q \times 1$ determine a set of zero constraints on $B: k \times m$, resulting in a system of equations with different sets of exogenous variables.

Imposing restrictions on the model using the R matrix is not user-friendly, but it is suitable for use in this package, as users are not expected to specify such restrictions, but only to provide a list of potential regressors. Note that in this package, most procedures, including significance search, are supposed to be automated.

The unrestricted estimators (i.e., $\hat{B} = (X'X)^{-1}X'Y$, and $\hat{\Sigma} = (\hat{V}'\hat{V})/N$ where $\hat{V} = Y - X\hat{B}$) are used to initialize the feasible GLS estimators:

$$
\tilde{B} = RW^{-1}R'[\hat{V} - 1 \otimes x']\text{vec}Y, \quad \tilde{\Sigma} = (\tilde{V}'\tilde{V})/N,
$$

where $W = R'[\hat{V}^{-1} \otimes X'X]R$ and $\tilde{V} = Y - X\tilde{B}$. The properties of these estimators are discussed in proposition 5.3 in Lütkepohl (2005). See also section 10.2 in Greene (2020). The maximum likelihood value is calculated by $-\frac{N}{2}(m(\ln 2\pi + 1) + \ln |\tilde{\Sigma}|)$. The condition number is calculated by multiplying 1-norm of W and its inverse (e.g., see page 94 in Trefethen and Bau (1997)). Furthermore, given an out-of-sample observation such as $x : k \times 1$, the prediction is $y^f = \tilde{B}'x$, and its variance is estimated by the following formula:

$$
vary^{f} = \tilde{V} + (x' \otimes I_m)RW^{-1}R'(x \otimes I_m).
$$

Note that the focus in ldt is model uncertainty and for more sophisticated implementations of the FGLS estimator, you may consider using other packages such as systemfit.

Finally, note that the main purpose of exporting this method is to show the inner calculations of the search process in [search.sur](#page-68-1) function.

 $s = 1$ since $\frac{1}{2}$

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References

Greene WH (2020). *Econometric analysis*, 8th edition. Pearson Education Limited, New York. ISBN 9781292231136.

Lütkepohl H (2005). *New introduction to multiple time series analysis*. Springer, Berlin. ISBN 3540401725, [doi:10.1007/9783540277521.](https://doi.org/10.1007/978-3-540-27752-1)

Trefethen LN, Bau D (1997). *Numerical linear algebra*. Society for Industrial and Applied Mathematics. ISBN 9780898714876.

See Also

[search.sur](#page-68-1)

Examples

```
# Example 1 (simulation, small model):
set.seed(123)
sample \le sim.sur(sigma = 2L, coef = 3L, nObs = 100)
print(sample$coef)
print(sample$sigma)
data <- data.frame(sample$y, sample$x)
# Use systemfit to estimate:
exp_names <- paste0(colnames(sample$x), collapse = " + ")
fmla <- lapply(1:ncol(sample$y), function(i) as.formula(paste0("Y", i, " ~ -1 +", exp_names)))
fit <- systemfit::systemfit(fmla, data = data, method = "SUR")
print(fit)
# Use 'ldt::estim.sur' function
fit <- estim.sur(data = get.data(cbind(sample$y, sample$x),
                                  endogenous = ncol(sample$y),
                                  addIntercept = FALSE))
# or, by using formula list:
fit \leq estim.sur(data = get.data(data = data,
                                 equations = fmla,
                                 addIntercept = FALSE))
print(fit)
print(fit$estimations$sigma)
plot_data <- plot(fit, equation = 1)
# Example 2 (simulation, large model with significancy search):
num_obs <- 100
sample \le sim.sur(sigma = 2L, coef = 3L, nObs = num_obs)
print(sample$coef)
# create irrelevant data:
```

```
num_x_ir <- 20
x_ir <- matrix(rnorm(num_obs * num_x_ir), ncol = num_x_ir)
data_x <- data.frame(sample$x, x_ir)
colnames(data_x) <- c(colnames(sample$x), paste0("z", 1:num_x_ir))
fit <- estim.sur(data = get.data(cbind(sample$y, data_x),
                                 endogenous = ncol(sample$y),
                                 addIntercept = FALSE),
                 searchSigMaxIter = 100,
                 searchSigMaxProb = 0.05)
print(fit$estimations$coefs)
# coefficient matrix, with lots of zero restrictions
# Example 3 (simulation, large model with PCA):
# by using data of the previous example
fit <- estim.sur(data = get.data(cbind(sample$y, data_x),
                                 endogenous = ncol(sample$y),
                                 addIntercept = FALSE),
                 pcaOptionsX = get.options.pca(2,4))
print(fit$estimations$coefs)
# coefficients are: intercept and the first exogenous variable and 4 PCs
```
estim.varma *Estimate a VARMA Model*

Description

Use this function to estimate a Vector Autoregressive Moving Average model.

Usage

```
estim.varma(
  data,
 params = NULL,
  seasonsCount = 0,
  lbfgsOptions = get.options.lbfgs(),
  olsStdMultiplier = 2,
 pcaOptionsY = NULL,
 pcaOptionsX = NULL,
 maxHorizon = 0,
  simFixSize = 0,
  simHorizons = NULL,
  simUsePreviousEstim = FALSE,
  simMaxConditionNumber = Inf
)
```
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Arguments

Details

The VARMA model can be used to analyze multivariate time series data with seasonal or nonseasonal patterns. According to Lütkepohl (2005), it considers interdependencies between the series, making it a powerful tool for prediction. The specification of this model is given by:

$$
\Delta^{d} \Delta^{D}_{s} y_{t} = c + \sum_{i=1}^{p} A_{i} y_{t-i} + \sum_{i=1}^{q} B_{i} \epsilon_{t-i} + C x_{t} + \sum_{i=1}^{p} A_{is} y_{t-is} + \sum_{i=1}^{Q} B_{is} v_{t-is} + v_{t},
$$

where $y_t : m \times 1$ is the vector of endogenous variables, $x_t : k \times 1$ is the vector exogenous variables, s is the number of seasons and (p, d, q, P, D, Q) determines the lag structure of the model. Furthermore, c, C, A_i and B_i for all available *i* determines the model's parameters. v_t is the disturbance vector and is contemporaneously correlated between different equations, i.e., $E(v_t v_t') = \Sigma$. Given a sample of size T, the model can be estimated using maximum likelihood estimation. However, to ensure identifiability, it is necessary to impose additional constraints on the parameters (see chapter 12 in Lütkepohl (2005)). In this function, diagonal MA equation form is used (see Dufour and

Pelletier (2022)). In this function, the feasible GLS estimator is used to initialize the maximum likelihood, and the OLS estimator is used to calculate the initial value of the variance matrix of the error term. The condition number is calculated similar to the other models (see [estim.sur](#page-14-1) or e.g., page 94 in Trefethen and Bau (1997)). Furthermore, given a prediction horizon and required exogenous data, prediction is performed in a recursive schema, in which the actual estimated errors are used if available and zero otherwise. The variance of the predictions is also calculated recursively. Note that this function does not incorporate the coefficients uncertainty in calculation of the variance (see section 3.5 in Lütkepohl (2005)).

Finally, note that the main purpose of exporting this method is to show the inner calculations of the search process in [search.varma](#page-70-1) function.

Value

A nested list with the following items:

References

Dufour J, Pelletier D (2022). "Practical methods for modeling weak VARMA processes: Identification, estimation and specification with a macroeconomic application." *Journal of Business & Economic Statistics*, 40(3), 1140–1152. [doi:10.1080/07350015.2021.1904960.](https://doi.org/10.1080/07350015.2021.1904960)

Lütkepohl H (2005). *New introduction to multiple time series analysis*. Springer, Berlin. ISBN 3540401725, [doi:10.1007/9783540277521.](https://doi.org/10.1007/978-3-540-27752-1)

Trefethen LN, Bau D (1997). *Numerical linear algebra*. Society for Industrial and Applied Mathematics. ISBN 9780898714876.

See Also

[search.varma](#page-70-1)

Examples

```
# Example 1 (simulation, ARMA):
num\_eq < -1Lnum_ar <- 2L
num_m = < -1Lnum_exo <- 1L
sample <- sim.varma(num_eq, arList = num_ar, maList = num_ma, exoCoef = num_exo, nObs = 110)
# estimate:
```

```
fit <- estim.varma(data = get.data(cbind(sample$y, sample$x)[1:100,],
                                   endogenous = num_eq,
                                   newData = sample$x[101:110,, drop=FALSE]),
                   params = c(num_ar, 0, num_ma, 0, 0, 0),
                   maxHorizon = 10,
                   simFixSize = 5,
                   simHorizons = c(1:10)print(fit)
pred <- predict(fit, actualCount = 10)
plot(pred, simMetric = "mape")
# split coefficient matrix:
get.varma.params(fit$estimations$coefs, numAR = num_ar, numMA = num_ma, numExo = num_exo)
# Example 2 (simulation, VARMA):
num_eq <- 3L
num_ar <- 2L
num_ma <- 1L
num_ma <- 1L
num_exo <- 2L
sample <- sim.varma(num_eq, arList = num_ar, maList = num_ma, exoCoef = num_exo, nObs = 110)
# estimate:
fit <- estim.varma(data = get.data(cbind(sample$y, sample$x)[1:100,],
                                   endogenous = num_eq,
                                   newData = sample$x[101:110,]),
                   params = c(num_ar, 0, num_ma, 0, 0, 0),
                   maxHorizon = 10,
                   simFixSize = 5,
                   simHorizons = c(1:10)pred <- predict(fit, actualCount = 10)
plot(pred, simMetric = "mape")
# split coefficient matrix:
get.varma.params(fit$estimations$coefs, numAR = num_ar, numMA = num_ma, numExo = num_exo)
```
estim.varma.model.string

Get the Specification of an ldt.estim.varma *Model*

Description

Use this function to get the name of a VARMA model, such that: If It is multivariate, it will be VAR, otherwise AR; If moving average terms are present, it will be ARMA or VARMA; If it is seasonal, it will be S-ARMA or S-VARMA; If it is integrated, it will be S-ARMA ($D=?,d=?)$; ..., and any possible combination. Parameters will be reported in parenthesis after the name of the model.

Usage

```
estim.varma.model.string(obj)
```
Arguments

obj AN object of class ldt.estim.varma.

Value

A character string representing the specification of the model.

exogenous *Extract Exogenous Variable(s) Data*

Description

This function extracts data of an exogenous variable(s) in an equation from an estimated model. It takes zero restrictions imposed into account.

Usage

exogenous(object, equation = 1, ...)

Arguments

Value

A matrix containing the exogenous data.

fan.plot *Fan Plot Function*

Description

This function creates a fan plot.

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Usage

```
fan.plot(
 data,
 dist = "normal",
 lambda = NA,
 quantiles = c(0.05, 0.1, 0.25, 0.75, 0.9, 0.95),
 gradient = FALSE,
 ylimSuggest = c(NA, NA),
 ylimExpand = 0.1,
 newPlot = TRUE,
 boundColor = "blue",
 plotArgs = list(),
 actualArgs = list(),
 medianArgs = list(),polygonArgs = list(border = NA)
)
```
Arguments

Value

This function does not return a value but creates a fan plot as a side effect.

fitted.ldt.estim *Extract Fitted Data*

Description

This function calculates and returns fitted values for an ldt.estim object.

Usage

```
## S3 method for class 'ldt.estim'
fitted(object, equations = NULL, ...)
```
Arguments

Value

A matrix containing the exogenous data.

get.combinations *Define Combinations for Search Process*

Description

This function defines a structure for a two-level nested loop used in a model search (or screening) process. The outer loop is defined by a vector of sizes and all the combinations of the variables are generated automatically. The inner loop is defined by a list of predefined combinations of the variables. Each variable can belong to either endogenous or exogenous variables based on their usage.

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Usage

```
get.combinations(
  sizes = c(1),
  partitions = NULL,
  numFixPartitions = 0,
  innerGroups = list(c(1)),numTargets = 1,
  stepsNumVariables = c(NA),
  stepsFixedNames = NULL,
  stepsSavePre = NULL
\mathcal{L}
```
Arguments

Details

The get.combinations function in the ldt package uses a two-level nested loop to iterate over different combinations of endogenous and exogenous variables. This is similar to running the following code:

```
for (endo in list(c(1), c(1, 2)))for (exo in list(c(1), c(1, 2)))Estimate a model using \code{endo} and \code{exo} indexation
```
However, predefining both loops is not memory efficient. Therefore, ldt uses a running algorithm to define the outer loop. It asks for the desired size of endogenous or exogenous variables in the model (i.e., sizes) and creates the outer groups using all possible combinations of the variables. The partitions and numFixPartitions parameters can be used to restrict this set.

For the inner loop, you must provide the desired combination of variables (endogenous or exogenous). Given m as the number of variables, you can generate all possible combinations using the following code:

```
m < -4combinations <- unlist(lapply(1:m, function(i) {
t(combn(1:m, i, simplify = FALSE))
}), recursive = FALSE)
```
You can use this as the innerGroups argument. However, this might result in a large model set.

Note that in ldt, if the data matrix does not have column names, default names for the endogenous variables are Y1, Y2, ..., and default names for the exogenous variables are X1, X2, See [get.data\(\)](#page-26-1) function for more details.

Also note that ldt ensure that all possible models can be estimated with the given number of partitions and sizes. If it's not possible, it will stop with an error message.

Value

A list suitable for use in ldt::search.? functions. The list contains:

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Examples

```
# Some basic examples are given in this section. However, more practical examples are available
# for the \code{search.?} functions.
# Example 1:
combinations1 \leq get.combinations(sizes = c(1, 2))
# The function will generate all possible combinations of sizes 1 and 2.
# Example 2: Using partitions
combinations2 \leq get.combinations(sizes = c(1, 2), partitions = list(c(1, 2), c(3, 4)))
# Here, we're specifying partitions for the variables.
# The function will generate combinations such that no model is estimated with two variables
# from the same partition.
# Example 3: Specifying inner groups
combinations3 <- get.combinations(sizes = c(1, 2), innerGroups = list(c(1), c(1, 2)))
# In this example, we're specifying different combinations of variables for the inner loop.
# For instance, \code{list(c(1), c(1, 2))} means estimating all models with just the first
# variable and all models with both first and second variables.
# Example 4: Step-wise search
combinations4 <- get.combinations(sizes = list(c(1), c(1, 2)), stepsNumVariables = c(NA, 1))
# This example demonstrates a step-wise search. In the first step (\code{sizes = c(1)}), all
# models with one variable are estimated.
# In the next step (\code{sizes = c(1, 2)}), a subset of potential variables is selected based
# on their performance in the previous step and all models with both first and second variables
# are estimated.
```
get.data *Transform and Prepare Data for Analysis*

Description

This function prepares a data matrix for analysis. It applies a Box-Cox transformation to the endogenous variables, adds an intercept column, and optionally includes new rows with exogenous data.

Usage

```
get.data(
  data,
  endogenous = 1,
  equations = NULL,
  weights = NULL,lambdas = NULL,
```

```
newData = NULL,
addIntercept = TRUE,
...
```
Arguments

 λ

Details

This function is designed to prepare a data matrix for model search (or screening) analysis. It performs several operations to transform and structure the data appropriately.

The function first checks if the input data is a matrix or a data frame. If new data is provided, it also checks its type. It then extracts the frequency of the first observation from the ldtf attribute of the data, if available.

If no equations are provided, the function assumes that the endogenous variables are in the first columns of the data. It checks if an intercept is already present and throws an error if one is found and addIntercept is set to TRUE. It then validates the number of endogenous variables and converts the data to a numeric matrix.

If column names are missing, they are added based on the number of endogenous and exogenous variables. If new data is provided, it checks its structure and matches it with the exogenous part of the original data.

If equations are provided, they are used to transform the original data into a matrix where response variables are in the first columns and predictor variables in subsequent columns. The new data is also transformed accordingly.

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The function then applies a Box-Cox transformation to the endogenous variables if lambda parameters are provided. Weights are added if provided, and an intercept column is added if addIntercept is set to TRUE.

Finally, the function returns a list containing all relevant information for further analysis. This includes the final data matrix, number of endogenous and exogenous variables, number of observations in original and new data, lambda parameters used in Box-Cox transformation, and flags indicating whether an intercept or weights were added.

Value

A list suitable for use in ldt::search.? functions. The list contains:

Examples

```
# Example 1:
data \leq matrix(1:24, ncol = 6)
result <- get.data(data, endogenous = 1)
print(result$data)
# Example 2:
data \leq matrix(1:24, ncol = 6,
               dimnames = list(NULL,c("V1", "V2", "V3", "V4", "V5", "V6")))
result <- get.data(data, endogenous = c("V6", "V1"))
print(result$data)
# Example 3:
data \leq data.frame(matrix(1:24, ncol = 6))
colnames(data) <- c("X1", "X2", "Y2", "X3", "Y1", "X4")
equations <- list(
   Y1 ~ X2 + X1,
   YZ ~ X4 ~ + X3)result <- get.data(data, equations = equations)
print(result$data)
```
get.data.append.newX *Append* newX *to* data\$data *matrix.*

Description

Use it for VARMA estimation

Usage

```
get.data.append.newX(data, maxHorizon = NA)
```
Arguments

Value

The input data with updated data matrix

get.data.check.discrete

Check if a column is discrete

Description

For example, it checks if the endogenous variable in binary model is 0 and 1 (number of choices is 2)

Usage

```
get.data.check.discrete(data, colIndex = 1)
```
Arguments

Value

Number of choices in the model, if no error occured. This means, the maximum value for the discrete data will be the output minus one.

get.data.check.intercept

Check for an intercept in a matrix

Description

This function checks if any column in the matrix is intercept.

Usage

get.data.check.intercept(matrix)

Arguments

matrix data matrix

Value

The index of the intercept. '-1' in intercept is not found.

get.data.keep.complete

Remove Rows with Missing Observations from Data

Description

Remove Rows with Missing Observations from Data

Usage

```
get.data.keep.complete(data, warn = TRUE)
```
Arguments

Value

The input data but with updated data\$data and data\$obsCount

This function takes the output of the [get.combinations](#page-23-1) function and a numeric matrix with given column names. It converts all character vectors in innerGroups or partitions to numeric vectors based on the index of the columns.

Usage

```
get.indexation(combinations, data, isInnerExogenous)
```
Arguments

Value

A list similar to the input combinations, but with all character vectors in innerGroups or partitions converted to numeric vectors based on the index of the columns in the data matrix. It sums the exogenous indexes with the number of endogenous variables and returns zero-based indexation for C code.

get.options.lbfgs *Get Options for L-BFGS Optimization*

Description

Use this function to get optimization options in [estim.varma](#page-17-1) or [search.varma](#page-70-1) functions.

Usage

```
get.options.lbfgs(
 maxIterations = 100,
  factor = 1e+07,
 projectedGradientTol = 0,
 maxCorrections = 5
)
```
Arguments

Value

A list with the given options.

get.options.neldermead

Options for Nelder-Mead Optimization

Description

Use this function to get the required options when Nelder-Mead optimization is needed such as [s.gld.from.moments](#page-57-1) function.

Usage

```
get.options.neldermead(
 maxIterations = 100,
  tolerance = 1e-06,
  reflection = 1,
  expansion = 2,
  contraction = 0.5,
  shrink = 1)
```
Arguments

Value

A list with the given options.

get.options.newton *Get Options for Newton Optimization*

Description

Use this function to get optimization options in [estim.bin](#page-11-1) or [search.bin](#page-63-1) functions.

Usage

```
get.options.newton(
 maxIterations = 100,
 functionTol = 1e-04,
 gradientTol = 0,
 useLineSearch = TRUE
)
```
Arguments

Value

A list with the given options.

Use this function to get PCA options in [estim.bin,](#page-11-1) [estim.sur,](#page-14-1) [estim.varma,](#page-17-1) or [s.pca](#page-60-1) functions.

Usage

```
get.options.pca(ignoreFirst = 1, exactCount = 0, cutoffRate = 0.8, max = 1000)
```
Arguments

Details

See details of [s.pca](#page-60-1) function.

Value

A list with the given options.

See Also

[estim.bin,](#page-11-1) [estim.sur,](#page-14-1) [estim.varma,](#page-17-1) [s.pca](#page-60-1)

Examples

See 's.pca' function.

Use this function to get the required options for [search.bin,](#page-63-1) [estim.bin,](#page-11-1) or [s.roc](#page-61-1) functions.

Usage

```
get.options.roc(
 lowerThreshold = 0,upperThreshold = 1,
 epsilon = 1e-12,
 pessimistic = FALSE,
 costs = NULL,
  costMatrix = NULL
)
```
Arguments

Details

See details of [s.roc](#page-61-1) function.

Value

A list with the given options.

See Also

[search.bin,](#page-63-1) [estim.bin,](#page-11-1) [s.roc](#page-61-1)
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Examples

See 's.roc' function.

get.search.items *Specify the Purpose of the Model Search Process*

Description

Use this function to list the required items and information that should be saved and retrieved from the model set search process in search.? functions.

Usage

```
get.search.items(
 model = TRUE,type1 = FALSE,
  type2 = FALSE,
 bestK = 1,
  all = FALSE,
  inclusion = FALSE,
  cdfs = numeric(0),
  extremeMultiplier = 0,mixture4 = FALSE
)
```


Value

A list with the given options.

get.search.metrics *Get Options for Measuring Performance*

Description

Use this function to get measuring options in search.? functions.

Usage

```
get.search.metrics(
  typesIn = c("aic"),typesOut = NULL,
  simFixSize = 2,
  trainRatio = 0.75,
  trainFixSize = 0,
  seed = 0,
  horizons = c(1L),
  weightedEval = FALSE,
  minMetrics = list(aic = 0)
\mathcal{L}
```


Details

An important aspect of ldt is model evaluation during the screening process. This involves considering both in-sample and out-of-sample evaluation metrics. In-sample metrics are computed using data that was used in the estimation process, while out-of-sample metrics are computed using new data. These metrics are well documented in the literature, and I will provide an overview of the main computational aspects and relevant references.

Value

A list with the given options.

AIC and SIC

According to Burnham and Anderson (2002) or Greene (2020), AIC and SIC are two commonly used metrics for comparing and choosing among different models with the same endogenous variable(s). Given L^* as the maximum value of the likelihood function in a regression analysis with k estimated parameters and N observations, AIC is calculated by $2k - 2\ln L^*$ and SIC is calculated by $k \ln N - 2 \ln L^*$. SIC includes a stronger penalty for increasing the number of estimated parameters in the model.

These metrics can be converted into weights using the formula $w = \exp(-0.5x)$, where x is the value of the metric. When divided by the sum of all weights, w can be interpreted as the probability that a given model is the best model among all members of the model set (see section 2.9 in Burnham and Anderson (2002)). Compared to the Burnham and Anderson (2002) discussion and since $f(x) = exp(-0.5x)$ transformation is invariant to translation, the minimum AIC part is removed in the screening process. This is an important property because it enables the use of running statistics and parallel computation.

MSE, RMSE, MSPE, and RMSPE

According to Hyndman and Athanasopoulos (2018), MSE and RMSE are two commonly used scale-dependent metrics, while MAPE is a commonly used unit-free metric. ldt also calculates the less common RMSPE metric. If there are n predictions and $e_i = y_i - \hat{y}_i$ for $i = 1...n$ is the prediction error, i.e., the distance between actual values (y_i) and predictions (\hat{y}_i) , these metrics can be expressed analytically by the following formulas:

$$
MAE = \frac{1}{n} \sum_{i=1}^{n} |e_i|
$$

$$
MAPE = \frac{1}{n} \sum_{i=1}^{n} \left| \frac{e_i}{y_i} \right| \times 100
$$

RMSE =
$$
\sqrt{\frac{1}{n} \sum_{i=1}^{n} (e_i)^2}
$$

RMSPE = $\sqrt{\frac{1}{n} \sum_{i=1}^{n} (\frac{e_i}{y_i})^2} \times 100$

Note that, first MAPE and RMSPE are not defined if y_i is zero and may not be meaningful or useful if it is near zero or negative. Second, although these metrics cannot be directly interpreted as weights, they are treated in a manner similar to AIC in the ldt package.. Third, caution is required when target variables are transformed, for example to a logarithmic scale. ldt provides an option to transform the data back when calculating these metrics.

Brier

The Brier score measures the accuracy of probabilistic predictions for binary outcomes. It is calculated as the mean squared difference between the actual values (y_i) and the predicted probabilities (p_i) . Assuming that there are *n* predictions, its formula is given by:

Brier = $\frac{\sum (y_i - \hat{p}_i)^2}{n}$ $\frac{(p_i-p_i)^{-}}{n},$

where p_i is the predicted probability that the *i*-th observation is positive. The value of this metric ranges from 0 to 1, with lower values indicating better predictions. In the screening process in ldt, both in-sample and out-of-sample observations can be used to calculate this metric. Although this metric cannot be directly interpreted as a weight, it is treated in a manner similar to AIC.

AUC

As described by Fawcett (2006), the receiver operating characteristic curve (ROC) plots the true positive rate (sensitivity) against the false positive rate (1-specificity) at different classification thresholds. The area under this curve is known as the AUC. Its value ranges from 0 to 1, with higher values indicating that the model is better at distinguishing between the two classes Fawcett (2006, 2006). In the screening process in ldt, both in-sample and out-of-sample observations can be used to calculate this metric. There is also an option to calculate the pessimistic or an instance-varying costs version of this metric. Although this metric does not have a direct interpretation as weights, in ldt its value is considered as weight.

CRPS

According to Gneiting et al. (2005), the continuous ranked probability score (CRPS) is a metric used to measure the accuracy of probabilistic predictions. Unlike MAE, RMSE, etc., CRPS takes into account the entire distribution of the prediction, rather than focusing on a specific point of the probability distribution. For n normally distributed predictions with mean \hat{y}_i and variance var (\hat{y}_i) , this metric can be expressed analytically as:

$$
CRPS = \sum_{i=1}^{n} \sigma \left(\frac{1}{\sqrt{\pi}} - 2\Phi(z_i) + z_i(2\phi(z_i) - 1) \right),
$$

where $z_i = (y_i - \hat{y}_i) / \sqrt{\text{var}(\hat{y}_i)}$, and Φ and ϕ are CDF and density functions of standard normal distribution. Although this metric cannot be directly interpreted as a weight, it is treated in a manner similar to AIC in the ldt package.

Other metrics

There are some other metrics in ldt. One is "directional prediction accuracy", which is calculated as the proportion of predictions that correctly predict the direction of change relative to the previous observation. Its value ranges from 0 to 1, with higher values indicating better performance of the model. Its value is used as the weight of a model. Note that this is applicable only to time-series data.

Another similar metric is "sign prediction accuracy", which reports the proportion of predictions that have the same sign as the actual values. It is calculated as the number of correct sign predictions divided by the total number of predictions. Its value ranges from 0 to 1, with higher values indicating better performance of the model. Its value is used as the weight of a model.

References

Burnham KP, Anderson DR (2002). *Model selection and multimodel inference*. Springer, New York. ISBN 0387953647, [doi:10.1007/b97636.](https://doi.org/10.1007/b97636)

Fawcett T (2006). "An introduction to ROC analysis." *Pattern Recognition Letters*, 27(8), 861– 874. [doi:10.1016/j.patrec.2005.10.010.](https://doi.org/10.1016/j.patrec.2005.10.010)

Fawcett T (2006). "ROC graphs with instance-varying costs." *Pattern Recognition Letters*, 27(8), 882–891. [doi:10.1016/j.patrec.2005.10.012.](https://doi.org/10.1016/j.patrec.2005.10.012)

Gneiting T, Raftery AE, Westveld AH, Goldman T (2005). "Calibrated probabilistic forecasting using ensemble model output statistics and minimum CRPS estimation." *Monthly Weather Review*, 133(5), 1098–1118. [doi:10.1175/mwr2904.1.](https://doi.org/10.1175/mwr2904.1)

Greene WH (2020). *Econometric analysis*, 8th edition. Pearson Education Limited, New York. ISBN 9781292231136.

Hyndman RJ, Athanasopoulos G (2018). *Forecasting: Principles and practice*. OTexts. [https:](https://otexts.com/fpp2/) [//otexts.com/fpp2/](https://otexts.com/fpp2/).

get.search.modelchecks

Set Options to Exclude a Model Subset

Description

Use this function to determine which models should be skipped in the search process.

Usage

```
get.search.modelchecks(
  estimation = TRUE,
  maxConditionNumber = Inf,
  minObsCount = 0,
```

```
minDof = 0,
 minOutSim = 0,
 minR2 = -Inf,maxAic = Inf,
 maxSic = Inf,prediction = FALSE,
 predictionBound = 10
\mathcal{L}
```
Arguments

using mean and standard errors of the growth rates. Any model that produces a prediction outside of these bounds will be ignored. To disable this check, set predictionBound to NULL.

Value

A list with the given options.

get.search.options *Get Extra Options for Model Search Process*

Description

Use this function to determine how the model search is performed.

Usage

```
get.search.options(parallel = FALSE, reportInterval = 0)
```
Arguments

Value

A list with the given options.

get.varma.params *Split VARMA parameter into its Components*

Description

Use this function to extract AR, MA, intercept, and exogenous coefficients from the VARMA estimation.

Usage

```
get.varma.params(
  coef,
  numAR = 1,
  numMA = 0,
  numExo = 0,
  intercept = TRUE,
  numAR_s = 0,
 numMA_s = 0,
  numSeasons = 1
)
```
Arguments

Value

A list with the following items:

- arList: A list containing the AR coefficients for each lag.
- intercept: A numeric vector of length numEq containing the intercept, or NULL if intercept = FALSE.
- exoCoef: A matrix of dimensions numEq x numExo containing the exogenous coefficients, or NULL if $numExo = 0$.
- maList: A list containing the MA coefficients for each lag.

See Also

[estim.varma](#page-17-0)

Examples

see 'search.varma' or 'estim.varma' functions.

logLik.ldt.estim *Extract Maximum Log-Likelihood*

Description

This function extracts maximum log-likelihood from an ldt.estim object.

Usage

```
## S3 method for class 'ldt.estim'
logLik(object, ...)
```
plot.ldt.estim 45

Arguments

Value

The value of the maximum log-likelihood for the whole system.

plot.ldt.estim *Plot Diagnostics for* ldt.estim *Object*

Description

This function creates diagnostic plots for estimated regression models of $1dt$. estim class.

Usage

```
## S3 method for class 'ldt.estim'
plot(
  x,
 equation = 1,
  type = c(1, 2, 3, 4, 5, 6),ablineArgs = list(col = "lightblue"),
  textArgs = list(pos = 3, cex = 0.7, col = "red"),...
\mathcal{L}
```


Details

This function is designed to be similar to plot. Im function. However, note that an 1dt. estim object might be a system estimation.

Some plots use standardized residuals. Note that they are not calculated in a system estimation context. See [residuals.ldt.estim](#page-51-0) documentation for a description. Cook's distance is also calculated equation-wise. Its formula is:

$$
d = \frac{r_i^2}{k * var(r)} \frac{h_{ii}}{(1 - h_{ii})^2}
$$

where r_i and h_{ii} are residual and leverage in *i*-th observation, respectively. $var(r)$ is variance of residuals and k is the number of estimated coefficients in the equation. Note that Cook's distance is not implemented for weighted observations.

Value

This function creates diagnostic plots for regression models. It also returns a list with x and y data used in plot functions.

plot.ldt.varma.prediction

Plot Predictions from a VARMA model

Description

Plot Predictions from a VARMA model

Usage

```
## S3 method for class 'ldt.varma.prediction'
plot(
  x,
  variable = 1,
  xAxisArgs = list(),fanPlotArgs = list(),
  simMetric = NULL,
  simLineArgs = list(),
  simPointsArgs = list(),
  ...
)
```


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Value

This function does not return a value.

predict.ldt.estim *Extract Prediction Results*

Description

This function extracts predicted mean and its variance from an ldt.estim object. new data must be provided while estimating the model.

Usage

```
## S3 method for class 'ldt.estim'
predict(object, ...)
```
Arguments

Value

A list containing the predicted (projected) means and variances.

```
predict.ldt.estim.varma
```
Extract Prediction Results from a ldt.estim.varma *Object*

Description

This function extracts predicted mean and its variance from an $1dt$. estim. varma object. new data must be provided while estimating the model.

Usage

```
## S3 method for class 'ldt.estim.varma'
predict(object, actualCount = 0, startFrequency = NULL, ...)
```
Arguments

Details

If estimation data undergoes a Box-Cox transformation, the resulting values will not be transformed accordingly.

Value

An object of class 1dt. varma. prediction, which is a list with predicted means and (if available) variances.

print.ldt.estim *Prints an* ldt.estim *object*

Description

Prints the main results in an ldt.estim object.

Usage

```
## S3 method for class 'ldt.estim'
print(x, \ldots)
```
Arguments

Details

An ldt. search object is an output from one of the search.? functions (see search.sur, search.varma, or search.bin).

Value

This function has no output.

print.ldt.estim.projection *Prints an* ldt.estim.projection *object*

Description

An ldt.estim.projection object is the output of [predict.ldt.estim\(\)](#page-46-0) function.

Usage

S3 method for class 'ldt.estim.projection' $print(x, \ldots)$

Arguments

Value

This function has no output.

print.ldt.list *Prints an* ldt.list *object*

Description

Prints an ldt.list object

Usage

S3 method for class 'ldt.list' $print(x, \ldots)$

Arguments

Value

This function has no output.

print.ldt.search *Prints an* ldt.search *object*

Description

Prints the main results in an ldt.search object. This includes information about the first best models and significant coefficients.

Usage

```
## S3 method for class 'ldt.search'
print(x, \ldots)
```
Arguments

Details

An 1dt. search object is an output from one of the search. ? functions (see search. sur, search. varma, or search.bin).

Value

This function has no output.

print.ldt.varma.prediction

Prints an ldt.varma.prediction *object*

Description

An ldt. varma.prediction object is the output of [predict.ldt.estim.varma\(\)](#page-47-0) function.

Usage

```
## S3 method for class 'ldt.varma.prediction'
print(x, \ldots)
```
Arguments

Value

This function has no output.

rand.mnormal *Generate Random Samples from a Multivariate Normal Distribution*

Description

Use this function to get random samples from a multivariate normal distribution.

Usage

```
rand.mnormal(n, mu = NULL, sigma = NULL, p = NULL, byRow = TRUE)
```


Value

A list containing the generated sample (p x n), mu, and sigma.

Examples

```
s1 \le rand.mnormal(10, mu = c(0, 0), sigma = matrix(c(1, 0.5, 0.5, 1), ncol = 2))
```
- s2 <- rand.mnormal(10, mu = $c(1,1)$, sigma = NA, p = 2)
- s3 \le rand.mnormal(10, p = 2, byRow = FALSE) #standard normal

residuals.ldt.estim *Extract Residuals Data*

Description

This function returns residuals from or calculates the standardized residuals for an ldt .estim object.

Usage

```
## S3 method for class 'ldt.estim'
residuals(object, equations = NULL, standardized = FALSE, pearson = TRUE, ...)
```
Arguments

Details

The standardized residuals have identical variance. In order to calculate the standardized residuals, each residual is divided by $s\sqrt{w_i(1-h_{ii})}$ where s is the standard error of residuals and h_{ii} is the leverage of *i*-th observation. w_i is the weight of the *i*-th observation if data is weighted, and 1 otherwise. Note that while the residuals are estimated in a system, the h_{ii} is calculated in a univariate context as the *i*-th diagonal of $X(X'X)^{-1}X'$ matrix, where X is the exogenous variables in the corresponding equation.

Value

A matrix containing the residuals data.

Description

This function performs hierarchical clustering on a group of variables, given their distances from each other.

Usage

```
s.cluster.h(distances, linkage = "single")
```
Arguments

Details

The main purpose of exporting this statistics helper method is to show the inner calculations of the package.

Value

A list with the following items:


```
n < -10data \leq data.frame(x = rnorm(n), y = rnorm(n), z = rnorm(n))
distances <- s.distance(data)
clusters <- s.cluster.h(distances)
```
s.cluster.h.group *Group Variables with Hierarchical Clustering*

Description

This function groups the columns of a numeric matrix based on the hierarchical clustering algorithm.

Usage

```
s.cluster.h.group(
  data,
  nGroups = 2,
  threshold = 0,
  distance = "correlation",
  linkage = "single",
  correlation = "pearson"
)
```
Arguments

Details

The results might be different from R's 'cutree' function. (I don't know how 'cutree' works) Here this function iterates over the nodes and whenever a split occurs, it adds a group until the required number of groups is reached.

Value

A list with the following items:

Description

Combine Mean, Variance, Skewness, and Kurtosis This function combines two sets of mean, variance, skewness, and kurtosis and generates the combined statistics.

Usage

s.combine.stats4(list1, list2)

Arguments

Details

Assume there are two samples with $mean_i$, $variance_i$, $skewness_i$, and $kurtosis_i$ for $i = 1, 2$, this function calculates the mean, variance, skewness, and kurtosis of the combined sample. It does not need the data itself. It is based on population variance, skewness, and kurtosis and calculates the population statistics. Note that the kurtosis is not excess kurtosis.

Value

A list similar to list1.

```
n <- 1000 # sample size (increase it for more accurate result)
sample1 <- rchisq(n,3)
sample2 <- rchisq(n,5)
d1 \leq 1 ist(mean = mean(sample1),
           variance = var(sample1),
           skewness = moments::skewness(sample1),
           kurtosis = moments::kurtosis(sample1),
           count=length(sample1),
           weight = length(sample1))
d2 \leq 1ist(mean = mean(sample2),
           variance = var(sample2),
           skewness = moments::skewness(sample2),
           kurtosis = moments::kurtosis(sample2),
           count=length(sample2),
           weight = length(sample2))
```

```
c \leq -s.combine.stats4(d1,d2)
# we can compare the results:
combined <- c(sample1,sample2)
mean_c = mean(combined)variance_c = var(combined)
skewness_c = moments::skewness(combined)
kurtosis_c = moments::kurtosis(combined)
```
s.distance *Get the Distances Between Variables*

Description

This function calculates the distances between the columns of a numeric matrix.

Usage

```
s.distance(
  data,
  distance = "correlation",
  correlation = "pearson",
  checkNan = TRUE
\mathcal{L}
```
Arguments

Details

The main purpose of exporting this statistics helper method is to show the inner calculations of the package.

Value

A symmetric matrix (lower triangle as a vector).

```
n < -10data \leq data.frame(x = rnorm(n), y = rnorm(n), z = rnorm(n))
distances <- s.distance(data)
```
s.gld.density.quantile

GLD Density-Quantile Function

Description

This function calculates the densities of a Generalized Lambda Distribution (FKLM) given a vector of probabilities.

Usage

```
s.gld.density.quantile(probs, p1, p2, p3, p4)
```
Arguments

Details

It is a helper statistics method in this package and is generally used to plot density function of a GLD distribution.

Value

A numeric vector representing the densities for each probability in probs.

See Also

[s.gld.quantile](#page-58-0)

```
# In this example we use this function and plot the density function for
# standard normal distribution:
probs \leq - seq(0.1,0.9,0.1)
x \leftarrow s.gld.quantile(probs, 0,1,0,0)
y <- s.gld.density.quantile(probs, 0,1,0,0)
plot(x,y)
lines(x,y)
```
s.gld.from.moments *Get the GLD Parameters from the moments*

Description

Calculates the parameters of the generalized lambda distribution (FKML), given the first four moments of the distribution.

Usage

```
s.gld.from.moments(
 mean = 0,
  variance = 1,
  skewness = 0.
  excessKurtosis = 0,
  type = \theta,
  start = NULL,
  nelderMeadOptions = get.options.neldermead()
\mathcal{E}
```
Arguments

Details

The type of the distribution is determined by one or two restrictions:

- type 0: general, no restriction
- type 1: symmetric 'type 0', $p3 == p4$
- type 2: uni-modal continuous tail, $p3 < 1$ & $p4 < 1$
- type 3: symmetric 'type 2', $p3 == p4$
- type 4: uni-modal continuous tail finite slope, $p3 \le 0.5 \& p4 \le 0.5$
- type 5: symmetric 'type 4', $p3 == p4$
- type 6: uni-modal truncated density curves, $p3 \ge 2 \& p4 \ge 2$ (includes uniform distribution)
- type 7: symmetric 'type 6', $p3 == p4$
- type 8: S shaped, $(p3 > 2 \& 1 < p4 < 2)$ or $(1 < p3 < 2 \& p4 > 2)$
- type 9: U shaped, $(1 < p3 < = 2)$ and $(1 < p4 < = 2)$
- type 10: symmetric 'type 9', $p3 = p4$
- type 11: monotone, $p3 > 1$ & $p4 \leq 1$

Value

A vector of length 5. The first 4 elements are the parameters of the GLD distribution. The last one is the number of iterations.

Examples

```
res \leq s.gld.from.moments(0,1,0,0, start = c(0,0), type = 4)
probs \leq - seq(0.1,0.9,0.1)
x <- s.gld.quantile(probs, res[1],res[2],res[3],res[4])
y <- s.gld.density.quantile(probs, res[1],res[2],res[3],res[4])
plot(x,y)
lines(x,y)
```
s.gld.quantile *GLD Quantile Function*

Description

This function calculates the quantiles of a Generalized Lambda Distribution (FKML).

Usage

s.gld.quantile(probs, p1, p2, p3, p4)

Details

It is a helper statistics method in this package and is generally used to plot density function of a GLD distribution. See the example of [s.gld.density.quantile](#page-56-0) function for more details.

Value

A numeric vector representing the quantiles for each probability in probs.

See Also

[s.gld.density.quantile](#page-56-0)

Examples

```
res = s.gld.quantile(c(0.1, 0.5, 0.95), 0, 1, 0, 0) # standard normal distribution
```
s.metric.from.weight *Convert a Weight to Metric*

Description

This function converts a weight to its metric equivalent.

Usage

```
s.metric.from.weight(value, metricName, minValue = 0)
```
Arguments

Details

See [s.weight.from.metric](#page-62-0) and [get.search.metrics](#page-37-0) for more details.

Note that the main purpose of exporting this statistics helper method is to show the inner calculations of the package.

Value

A numeric value representing the converted weight.

See Also

[s.weight.from.metric](#page-62-0)

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Examples

```
weight <- s.weight.from.metric(-3.4, "sic")
metric <- s.metric.from.weight(weight, "sic")
```
s.pca *Principal Component Analysis*

Description

This function performs PCA on the columns of a matrix.

Usage

 $s.\text{pca}(x, \text{ center} = \text{TRUE}, \text{scale} = \text{TRUE}, \text{newX} = \text{NULL})$

Arguments

Details

The main purpose of exporting this statistics helper method is to show the inner calculations of the package.

Value

A list with the following items:

See Also

[get.options.pca](#page-34-0)

Examples

```
set.seed(340)
data \le matrix(rnorm(500), nrow = 50, ncol = 10)
# using prcomp function
resR = prcomp(data, center = TRUE, scale. = TRUE)
# using s.pca in this package
res = s.pca(data,TRUE,TRUE,data)
# res$projections and resR$x must be equal
# res$directions and t(resR$rotation) must be equal
# ----- ANOTHER EXAMPLE: PCA where there is a constant variable:
data \le data.frame( x = rnorm(100), y = rnorm(100), z = rep(0, 100))
# using s.pca in this package
res <- s.pca(data)
# using prcomp function
res_invalid <- try(prcomp(data, center = TRUE,
                          scale. = TRUE))
# Fails, we should remove 'z' first
```
s.roc *Get ROC Curve Data for Binary Classification*

Description

This function calculates the required points for plotting the ROC curve and the AUC.

Usage

```
s.roc(y, scores, weights = NULL, options = get.options.roc())
```
Arguments

Details

This is generally a statistics helper method in this package and it shows the inner calculations. See AUC section in [get.search.metrics](#page-37-0) for a discussion.

Value

A list with the following items:

Examples

```
y <- c(1, 0, 1, 0, 1, 1, 0, 0, 1, 0)
scores <- c(0.1, 0.2, 0.3, 0.5, 0.5, 0.5, 0.7, 0.8, 0.9, 1)
res1 <- s.roc(y,scores)
costs \leftarrow c(1, 2, 1, 4, 1, 5, 1, 1, 0.5, 1)costMatrix <- matrix(c(0.02,-1,-3,3),2,2)
opt <- get.options.roc(costs = costs, costMatrix = costMatrix)
res2 <- s.roc(y,scores,NULL,options = opt)
```
s.weight.from.metric *Convert a Metric to Weight*

Description

This function converts a metric to its weight equivalent.

Usage

```
s.weight.from.metric(value, metricName, minValue = 0)
```
Arguments

Details

Given a collection of models for the data, a metric is not generally a metric of the relative quality of a model. This function converts the value of a metric to such a number. see [get.search.metrics](#page-37-0) for more details.

The main purpose of exporting this statistics helper method is to show the inner calculations of the package.

Value

A numeric value representing the converted metric.

See Also

[s.metric.from.weight](#page-59-0)

Examples

```
weight <- s.weight.from.metric(-3.4, "sic")
metric <- s.metric.from.weight(weight, "sic")
```

```
search.bin Create a Model Set for Binary Choice Models
```
Description

Use this function to create a binary choice model set and search for the best models (and other information) based on in-sample and out-of-sample evaluation metrics.

Usage

```
search.bin(
  data,
 combinations,
 metrics = get.search.metrics(),
 modelChecks = get.search.modelchecks(),
  items = get.search.items(),
  options = get.search.options(),
  costMatrices = NULL,
  searchLogit = TRUE,
  searchProbit = FALSE,
 optimOptions = get.options.newton(),
  aucOptions = get.options.roc()
)
```


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Value

A nested list with the following members:

Note that the output does not contain any estimation results, but minimum required data to estimate the models (Use summary() function to get the estimation).

See Also

[estim.bin](#page-11-0)

```
# We simulate some data for this example:
# sample data:
n = 50 # number of observations
num_x_r <- 3L # number of relevant explanatory variables
num_x_ir <- 20 # (relatively large) number of irrelevant explanatory variables
set.seed(340)
sample <- sim.bin(num_x_r, n)
x_ir <- lapply(1:num_x_ir, function(x) rnorm(n))
# prepare data:
data <- data.frame(sample$y, sample$x, x_ir)
colnames(data) <- c("Y", colnames(sample$x), paste0("z", 1:num_x_ir))
# Use glm function to estimate and analyse:
fit \leq glm(Y \sim . - Y, data = data, family = binomial())
summary(fit)
```

```
# You can also use this package estimation function:
data0 <- get.data(data,
                equations = list(Y \sim . - Y),
                addIntercept = FALSE)
fit <- estim.bin(data = data0)
# format and print coefficients:
print(fit)
# Alternatively, You can define a binary choice model set:
x_s sizes = c(1:3) # assuming we know the number of relevant explanatory variables is less than 3
metric_options <- get.search.metrics(typesIn = c("sic")) # We use SIC for searching
search_res <- search.bin(data = data0,
                         combinations = get.combinations(sizes = x_sizes),
                         metrics = metric_options)
print(search_res)
# Use summary function to estimate the best model:
search_sum <- summary(search_res, y = sample$y, x = data[,3:ncol(data)])
# format and print coefficients:
s_fit <- summary(search_res)
print(s_fit$results[[1]]$value)
# Try a step-wise search for creating a larger model set:
search_res <- search.bin(data = data0,
                         combinations = get.combinations(
                           sizes = list(c(1, 2, 3), c(4)),stepsNumVariables = c(NA, 7)),
                         metrics = metric_options)
# combinations argument is different
print(search_res)
# Use summary like before.
```
search.rfunc *Create a Model Set for an R Function*

Description

Use this model to create a model set for an R function.

Usage

```
search.rfunc(
 data = get.data(),
 combinations = get.combinations(),
 metrics = get.search.metrics(),
 modelChecks = get.search.modelchecks(),
```
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```
items = get.search.items(),
options = get.search.options(),
rFuncName,
length1,
isInnerExogenous
```
Arguments

)

Details

The central part of calling this function is to write a function with rFuncName name. This function must have the following arguments:

- columnIndices: determines the variables to be used in the current iteration. These indices point to the column of data\$data matrix. E.g., you can create a matrix of available data by using data\$data[,colIndices]. It contains weight column index (at numEndo+1), if data\$hasWeight is TRUE.
- numEndo: can be used to divide the columnIndices into endogenous and exogenous indices.
- data, metrics, modelChecks, items: The arguments of current function which are passed to this function.

The rFuncName function should use these arguments and estimate or predict by using any available R function.

This function must return a List with the following items:

- error (Character string or NULL): It not NULL or empty, it is considered as a failed estimation with the given message.
- metrics (Numeric Matrix): Model performance for each target variable. Available target variables must be in the columns and metrics in the rows.
- extra (Numeric Vector or NULL): Extra information in form of integers, which defines the current model.
- type1means (Numeric Matrix or NULL): Means of type1 (coefficients or predictions) for each target variable. Target variables must be in the columns. Make sure to skip the rows which the model does not present any information.
- type1vars (Numeric Matrix or NULL): similar to type1means but for reporting the variances.

Value

A nested list with the following members:

Note that the output does not contain any estimation results, but minimum required data to estimate the models (Use summary() function to get the estimation).

Description

This function uses the calculated inclusion weights and selects a subset of variables in each step. Note that it uses the values for the first target variable and first metric and might not be suitable for multi-target or multi-metric searches.

Usage

```
search.steps(method, isInnerExogenous, ...)
```
Arguments

Value

the result

Description

Use this function to create a Seemingly Unrelated Regression model set and search for the best models (and other information) based on in-sample and out-of-sample evaluation metrics.

Usage

```
search.sur(
  data = get.data(),
  combinations = get.combinations(),
 metrics = get.search.metrics(),
 modelChecks = get.search.modelchecks(),
  items = get.search.items(),
  options = get.search.options(),
  searchSigMaxIter = 0,
  searchSigMaxProb = 0.1
\mathcal{L}
```


Value

A nested list with the following members:

Note that the output does not contain any estimation results, but minimum required data to estimate the models (Use summary() function to get the estimation).

See Also

[estim.sur](#page-14-0)

```
num_y <- 2L # number of equations
num_x_r <- 3L # number of relevant explanatory variables
num_x_ir <-
  10 # (relatively large) number of irrelevant explanatory variables
num obs = 100 # number of observations
# create random data
sample \leq sim.sur(sigma = num_y, coef = num_x_r, nObs = num_obs)
x_i <- matrix(rnorm(num_obs * num_x_ir), ncol = num_x_ir) # irrelevant data
# prepare data for estimation
data <- data.frame(sample$y, sample$x, x_ir)
colnames(data) <- c(colnames(sample$y), colnames(sample$x), paste0("z", 1:num_x_ir))
# Use systemfit to estimate and analyse:
exp_names <- paste0(colnames(data)[(num_y + 1):(length(colnames((data))))], collapse = " + ")
fmla \leq lapply(1:num_y, function(i) as.formula(paste0("Y", i, " \sim -1 + ", exp_names)))
fit <- systemfit::systemfit(fmla, data = data, method = "SUR")
summary(fit)
# You can also use this package estimation function:
fit <- estim.sur(data = get.data(data, endogenous = num_y, addIntercept = FALSE))
print(fit)
# Alternatively, You can define an SUR model set:
x_s sizes = c(1:3) # assuming we know the number of relevant explanatory variables is less than 3
num_targets = 2
metric_options <- get.search.metrics(typesIn = c("sic")) # We use SIC for searching
search_res <- search.sur(data = get.data(data, endogenous = num_y, addIntercept = FALSE),
                         combinations = get.combinations(numTargets = num_targets,
                                                          sizes = x_sizes,
                                                        innerGroups = list(c(1), c(2)),
                         metrics = metric_options)
```
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```
print(search_res)
# Use summary function to estimate the best models:
search_sum <- summary(search_res)
# Print the best model:
print(search_sum$results[[2]]$value)
# see 'estim.sur' function
# Using a step-wise search to build a larger model set:
x_sizes\_steps = list(c(1, 2, 3), c(4))counts_steps = c(NA, 7)
search_step_res <- search.sur(data = get.data(data, endogenous = num_y, addIntercept = FALSE),
                              combinations = get.combinations(numTargets = num_targets,
                                                               sizes = x_sizes_steps,
                                                        stepsNumVariables = counts_steps,
                                                             innerGroups = list(c(1,2))),
                              metrics = metric_options)
# combinations argument is different
print(search_step_res)
```
search.varma *Create Model Set for VARMA Models*

Description

Use this function to create a Vector Autoregressive Moving Average model set and search for the best models (and other information) based on in-sample and out-of-sample evaluation metrics.

Usage

```
search.varma(
  data = get.data(),
  combinations = get.combinations(),
 metrics = get.search.metrics(),
 modelChecks = get.search.modelchecks(),
  items = get.search.items(),
  options = get.search.options(),
 maxParams = c(1, 0, 0, 0, 0, 0),
  seasonsCount = 0,
 maxHorizon = 1,
  simUsePreviousEstim = FALSE,
  olsStdMultiplier = 2,
  lbfgsOptions = get.options.lbfgs()
)
```
Arguments

Value

A nested list with the following members:

Note that the output does not contain any estimation results, but minimum required data to estimate the models (Use summary() function to get the estimation).

See Also

[estim.varma](#page-17-0)
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Examples

```
# We simulate some data for this example:
set.seed(340)
n = 100
num_eq <- 3L
num_ar <- 2L
num_ma <- 1L
num_ma <- 1L
num_exo <- 2L
sample <- sim.varma(num_eq, arList = num_ar, maList = num_ma, exoCoef = num_exo, nObs = n)
# (relatively large) number of irrelevant explanatory variables:
num_y_ir <- 10
y_ir <- lapply(1:num_y_ir, function(x) rnorm(n))
# prepare data:
data <- data.frame(sample$y, y_ir, sample$x)
colnames(data) <- c(colnames(sample$y), paste0("w", 1:num_y_ir), colnames(sample$x))
# Create a VARMA model set:
y_sizes = 3 # assuming we know the number of relevant endogenous variables
metric_options <- get.search.metrics(typesIn = c("aic")) # We use SIC for searching
search_res <- search.varma(data = get.data(data, endogenous = num\_eq + num\_y\_ir),
                           combinations = get.combinations(sizes = y_sizes,
                                                            numTargets = 3),
                           metrics = metric_options,
                           maxHorizon = 0)print(search_res)
```
sim.bin *Generate Random Sample from a DC Model*

Description

This function generates a random sample from an discrete choice regression model.

Usage

```
sim.bin(
  coef = 2L,
  nObs = 100,probit = FALSE,
 maxWeight = 1,
 pPos = 0.5,
  sampleFactor = 4,
  toNumeric = TRUE
)
```
Arguments

Value

A list with the following items:

See Also

[estim.bin,](#page-11-0) [search.bin](#page-63-0)

Examples

```
# Generate data from a logit model with 3 variables
sample <- sim.bin(3L, 100)
```
see the examples in 'estim.bin' or 'search.bin' functions

Description

This function generates a random sample from an Seemingly Unrelated Regression model.

Usage

sim.sur(sigma = 1L, coef = 1L, nObs = 100, intercept = TRUE)

Arguments

Value

A list with the following items:

See Also

[sim.varma](#page-75-0)[,estim.sur,](#page-14-0)[search.sur](#page-68-0)

Examples

```
num_y \leftarrow 2Lnum_x < - 3Ln_obs = 100
data <- sim.sur(sigma = num_y, coef = num_x, nObs = n_obs)
# see the examples in 'estim.sur' or 'search.sur' functions
```


Description

This function generates a multivariate time series using a VARMA process.

Usage

```
sim.varma(
 sigma = 2L,
 arList = 1L,
 malist = 0L,exoCoef = <math>0L</math>,nObs = 100,nBurn = 10,
  intercept = TRUE,
  d = 0,startFrequency = NULL,
  seasonalCoefs = NULL
)
```
Arguments

Value

A list with the following items:

Examples

```
sample1 <- sim.varma(2L, 3L, 2L)
```

```
ar1 <- matrix(c(0.7,0.2,-0.4,0.3),2,2)
ar2 <- matrix(c(-0.4,0.1,0.2,-0.3),2,2)
ma1 <- matrix(c(0.5,-0.1,0.3,0.4),2,2)
Sigma <- matrix(c(1,0.3,0.3,1),2,2)
B \le - matrix(c(0.5,-0.3),2)
sample2 <- sim.varma(Sigma, list(ar1, ar2), list(ma1), exoCoef = B,
                    nObs =100, nBurn =10 , intercept = c(1,-1))
# Plot the y series
matplot(sample2$y,type = "l")
# see the examples in 'estim.varma' or 'search.varma' functions
```
summary.ldt.search *Summary for an* ldt.search *object*

Description

Use this function to get the full estimation of the models reported in the output of a search process.

Usage

```
## S3 method for class 'ldt.search'
summary(object, test = FALSE, ...)
```
Arguments

Details

An 1dt. search object is an output from one of the search.? functions (see search.sur, search.varma, or search.bin).

Value

The output replaces the value of object\$results with the summary from [summary.ldt.search.item.](#page-77-0)

summary.ldt.search.item

Summary for an ldt.search.item *object*

Description

While you can get a summary of an item in a search result, this function is mainly designed to be called from [print.ldt.search](#page-49-0) function. Its main job is to estimate the full model using the reported indices from the search process.

Usage

```
## S3 method for class 'ldt.search.item'
summary(object, searchResult = NULL, test = FALSE, ...)
```
Arguments

Details

An ldt.search.item object is a member of ldt.search object. An ldt.search object is an output from one of the search.? functions (see search.sur, search.varma, or search.bin).

Value

If the object contains the indices of endogenous variables of an estimated model, it returns the estimation output. Otherwise, it returns object.

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