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Title Generalized Co-Sparse Factor Regression

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Description Divide and conquer approach for estimating low-rank and sparse coefficient matrix in the generalized co-sparse factor regression. Please refer the manuscript 'Mishra, Aditya, Dipak K. Dey, Yong Chen, and Kun Chen. Generalized co-sparse factor regression. Computational Statistics & Data Analysis 157 (2021): 107127' for more details.

URL https://github.com/amishra-stats/gofar, https://www.sciencedirect.com/science/article/pii/S0167947320302188

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`gofar_control` *Control parameters for the estimation procedure of GOFAR(S) and GOFAR(P)*

Description

Default control parameters for Generalized co-sparse factor regresion

Usage

```
gofar_control(
  maxit = 5000,
  epsilon = 1e-06,
  elnetAlpha = 0.95,
  gamma0 = 1,
  se1 = 1,
  spU = 0.5,
  spV = 0.5,
  lamMaxFac = 1,
  lamMinFac = 1e-06,
  initmaxit = 2000,
  initepsilon = 1e-06,
  equalphi = 1,
  objI = 1,
  alp = 60
)
```

Arguments

`maxit`	maximum iteration for each sequential steps
`epsilon`	tolerence value set for convergene of gcure
`elnetAlpha`	elastic net penalty parameter
`gamma0`	power parameter in the adaptive weights
`se1`	apply 1se sule for the model;
`spU`	maximum proportion of nonzero elements in each column of U
`spV`	maximum proportion of nonzero elements in each column of V

lamMaxFac	a multiplier of calculated lambda_max
lamMinFac	a multiplier of determing lambda_min as a fraction of lambda_max
initmaxit	maximum iteration for initialization problem
initepsilon	tolerence value for convergene in the initialization problem
equalphi	dispersion parameter for all gaussian outcome equal or not 0/1
objI	1 or 0 convergence on the basis of objective function or not
alp	scaling factor corresponding to poisson outcomes

Value

a list of controling parameter.

References

Mishra, Aditya, Dipak K. Dey, Yong Chen, and Kun Chen. Generalized co-sparse factor regression. Computational Statistics & Data Analysis 157 (2021): 107127

Examples

```
# control variable for GOFAR(S) and GOFAR(P)
control <- gofar_control()
```

---

gofar_p *Generalize Exclusive factor extraction via co-sparse unit-rank estimation (GOFAR(P)) using k-fold crossvalidation*

Description

Divide and conquer approach for low-rank and sparse coefficent matrix estimation: Exclusive extraction

Usage

```
gofar_p(
  Yt,
  X,
  nrank = 3,
  nlambda = 40,
  family,
  familygroup = NULL,
  cIndex = NULL,
  ofset = NULL,
  control = list(),
  nfold = 5,
  PATH = FALSE
)
```

Arguments

Yt	response matrix
X	covariate matrix; when X = NULL, the fucntion performs unsupervised learning
nrank	an integer specifying the desired rank/number of factors
nlambda	number of lambda values to be used along each path
family	set of family gaussian, bernoulli, possion
familygroup	index set of the type of multivariate outcomes: "1" for Gaussian, "2" for Bernoulli, "3" for Poisson outcomes
cIndex	control index, specifying index of control variable in the design matrix X
ofset	offset matrix specified
control	a list of internal parameters controlling the model fitting
nfold	number of fold for cross-validation
PATH	TRUE/FALSE for generating solution path of sequential estimate after cross-validation step

Value

C	estimated coefficient matrix; based on GIC
Z	estimated control variable coefficient matrix
Phi	estimted dispersion parameters
U	estimated U matrix (generalize latent factor weights)
D	estimated singular values
V	estimated V matrix (factor loadings)
lam	selected lambda values based on the chosen information criterion
lampath	sequences of lambda values used in model fitting. In each sequential unit-rank estimation step, a sequence of length nlambda is first generated between (lamMax*lamMaxFac, lamMax*lamMaxFac*lamMinFac) equally spaced on the log scale, in which lamMax is estimated and the other parameters are specified in gofar_control. The model fitting starts from the largest lambda and stops when the maximum proportion of nonzero elements is reached in either u or v, as specified by spU and spV in gofar_control.
IC	values of information criteria
Upath	solution path of U
Dpath	solution path of D
Vpath	solution path of D
ObjDec	boolian type matrix outcome showing if objective function is monotone decreasing or not.
familygroup	spcified familygroup of outcome variables.

References

Mishra, Aditya, Dipak K. Dey, Yong Chen, and Kun Chen. Generalized co-sparse factor regression. Computational Statistics & Data Analysis 157 (2021): 107127

Examples

```
family <- list(gaussian(), binomial(), poisson())
control <- gofar_control()
nlam <- 40 # number of tuning parameter
SD <- 123

# Simulated data for testing

data('simulate_gofar')
attach(simulate_gofar)
q <- ncol(Y)
p <- ncol(X)
# Simulate data with 20% missing entries
miss <- 0.20 # Proportion of entries missing
t.ind <- sample.int(n * q, size = miss * n * q)
y <- as.vector(Y)
y[t.ind] <- NA
Ym <- matrix(y, n, q)
naind <- (!is.na(Ym)) + 0 # matrix(1,n,q)
misind <- any(naind == 0) + 0
#
# Model fitting begins:
control$epsilon <- 1e-7
control$spU <- 50 / p
control$spV <- 25 / q
control$maxit <- 1000
# Model fitting: GOFAR(P) (full data)
set.seed(SD)
rank.est <- 5

fit.eea <- gofar_p(Y, X,
  nrank = rank.est, nlambda = nlam,
  family = family, familygroup = familygroup,
  control = control, nfold = 5
)

# Model fitting: GOFAR(P) (missing data)
set.seed(SD)
rank.est <- 5
fit.eea.m <- gofar_p(Ym, X,
  nrank = rank.est, nlambda = nlam,
  family = family, familygroup = familygroup,
  control = control, nfold = 5
)
```

`gofar_s` *Generalize Sequential factor extraction via co-sparse unit-rank estimation (GOFAR(S)) using k-fold crossvalidation*

Description

Divide and conquer approach for low-rank and sparse coefficent matrix estimation: Sequential

Usage

```
gofar_s(
  Yt,
  X,
  nrank = 3,
  nlambda = 40,
  family,
  familygroup = NULL,
  cIndex = NULL,
  ofset = NULL,
  control = list(),
  nfold = 5,
  PATH = FALSE
)
```

Arguments

Yt	response matrix
X	covariate matrix; when X = NULL, the fucntion performs unsupervised learning
nrank	an integer specifying the desired rank/number of factors
nlambda	number of lambda values to be used along each path
family	set of family gaussian, bernoulli, possion
familygroup	index set of the type of multivariate outcomes: "1" for Gaussian, "2" for Bernoulli, "3" for Poisson outcomes
cIndex	control index, specifying index of control variable in the design matrix X
ofset	offset matrix specified
control	a list of internal parameters controlling the model fitting
nfold	number of folds in k-fold crossvalidation
PATH	TRUE/FALSE for generating solution path of sequential estimate after cross-validation step

Value

C	estimated coefficient matrix; based on GIC
Z	estimated control variable coefficient matrix
Phi	estimted dispersion parameters
U	estimated U matrix (generalize latent factor weights)
D	estimated singular values
V	estimated V matrix (factor loadings)
lam	selected lambda values based on the chosen information criterion
familygroup	spcified familygroup of outcome variables.
fitCV	output from crossvalidation step, for each sequential step

References

Mishra, Aditya, Dipak K. Dey, Yong Chen, and Kun Chen. Generalized co-sparse factor regression. Computational Statistics & Data Analysis 157 (2021): 107127

Examples

```
family <- list(gaussian(), binomial(), poisson())
control <- gofar_control()
nlam <- 40 # number of tuning parameter
SD <- 123

# Simulated data for testing

data('simulate_gofar')
attach(simulate_gofar)
q <- ncol(Y)
p <- ncol(X)
#
# Simulate data with 20% missing entries
miss <- 0.20 # Proportion of entries missing
t.ind <- sample.int(n * q, size = miss * n * q)
y <- as.vector(Y)
y[t.ind] <- NA
Ym <- matrix(y, n, q)
naind <- (!is.na(Ym)) + 0 # matrix(1,n,q)
misind <- any(naind == 0) + 0
#
# Model fitting begins:
control$epsilon <- 1e-7
control$spU <- 50 / p
control$spV <- 25 / q
control$maxit <- 1000



# Model fitting: GOFAR(S) (full data)
set.seed(SD)
rank.est <- 5
fit.seq <- gofar_s(Y, X,
  nrank = rank.est, family = family,
  nlambda = nlam, familygroup = familygroup,
  control = control, nfold = 5
)


# Model fitting: GOFAR(S) (missing data)
set.seed(SD)
rank.est <- 5
fit.seq.m <- gofar_s(Ym, X,
  nrank = rank.est, family = family,
  nlambda = nlam, familygroup = familygroup,
  control = control, nfold = 5
```

```
)
```

`gofar_sim` *Simulate data for GOFAR*

Description

Genertate random samples from a generalize sparse factor regression model

Usage

```
gofar_sim(U, D, V, n, Xsigma, C0, familygroup, snr)
```

Arguments

`U`	specified value of U
`D`	specified value of D
`V`	specified value of V
`n`	sample size
`Xsigma`	covariance matrix for generating sample of X
`C0`	Specified coefficient matrix with first row being intercept
`familygroup`	index set of the type of multivariate outcomes: "1" for Gaussian, "2" for Bernoulli, "3" for Poisson outcomes
`snr`	signal to noise ratio specified for gaussian type outcomes

Value

`Y`	Generated response matrix
`X`	Generated predictor matrix
`sigmaG`	standard deviation for gaussian error

References

Mishra, Aditya, Dipak K. Dey, Yong Chen, and Kun Chen. Generalized co-sparse factor regression. Computational Statistics & Data Analysis 157 (2021): 107127

Examples

```
## Model specification:
SD <- 123
set.seed(SD)
n <- 200
p <- 100
pz <- 0
# Model I in the paper
# n <- 200; p <- 300; pz <- 0 ;           # Model II in the paper
# q1 <- 0; q2 <- 30; q3 <- 0               # Similar response cases
q1 <- 15
q2 <- 15
q3 <- 0 # mixed response cases
nrank <- 3 # true rank
rank.est <- 4 # estimated rank
nlam <- 40 # number of tuning parameter
s <- 1 # multiplying factor to singular value
snr <- 0.25 # SNR for variance Gaussian error
#
q <- q1 + q2 + q3
respFamily <- c("gaussian", "binomial", "poisson")
family <- list(gaussian(), binomial(), poisson())
familygroup <- c(rep(1, q1), rep(2, q2), rep(3, q3))
cfamily <- unique(familygroup)
nfamily <- length(cfamily)
#
control <- gofar_control()
#
#
## Generate data
D <- rep(0, nrank)
V <- matrix(0, ncol = nrank, nrow = q)
U <- matrix(0, ncol = nrank, nrow = p)
#
U[, 1] <- c(sample(c(1, -1), 8, replace = TRUE), rep(0, p - 8))
U[, 2] <- c(rep(0, 5), sample(c(1, -1), 9, replace = TRUE), rep(0, p - 14))
U[, 3] <- c(rep(0, 11), sample(c(1, -1), 9, replace = TRUE), rep(0, p - 20))
#
if (nfamily == 1) {
  # for similar type response type setting
  V[, 1] <- c(rep(0, 8), sample(c(1, -1), 8,
    replace =
      TRUE
  ) * runif(8, 0.3, 1), rep(0, q - 16))
  V[, 2] <- c(rep(0, 20), sample(c(1, -1), 8,
    replace =
      TRUE
  ) * runif(8, 0.3, 1), rep(0, q - 28))
  V[, 3] <- c(
    sample(c(1, -1), 5, replace = TRUE) * runif(5, 0.3, 1), rep(0, 23),
    sample(c(1, -1), 2, replace = TRUE) * runif(2, 0.3, 1), rep(0, q - 30)
  )
```

```
} else {
  # for mixed type response setting
  # V is generated such that joint learning can be emphasised
  V1 <- matrix(0, ncol = nrank, nrow = q / 2)
  V1[, 1] <- c(sample(c(1, -1), 5, replace = TRUE), rep(0, q / 2 - 5))
  V1[, 2] <- c(
    rep(0, 3), V1[4, 1], -1 * V1[5, 1],
    sample(c(1, -1), 3, replace = TRUE), rep(0, q / 2 - 8)
  )
  V1[, 3] <- c(
    V1[1, 1], -1 * V1[2, 1], rep(0, 4),
    V1[7, 2], -1 * V1[8, 2], sample(c(1, -1), 2, replace = TRUE),
    rep(0, q / 2 - 10)
  )
  #
  V2 <- matrix(0, ncol = nrank, nrow = q / 2)
  V2[, 1] <- c(sample(c(1, -1), 5, replace = TRUE), rep(0, q / 2 - 5))
  V2[, 2] <- c(
    rep(0, 3), V2[4, 1], -1 * V2[5, 1],
    sample(c(1, -1), 3, replace = TRUE), rep(0, q / 2 - 8)
  )
  V2[, 3] <- c(
    V2[1, 1], -1 * V2[2, 1], rep(0, 4),
    V2[7, 2], -1 * V2[8, 2],
    sample(c(1, -1), 2, replace = TRUE), rep(0, q / 2 - 10)
  )
  #
  V <- rbind(V1, V2)
}
U[, 1:3] <- apply(U[, 1:3], 2, function(x) x / sqrt(sum(x^2)))
V[, 1:3] <- apply(V[, 1:3], 2, function(x) x / sqrt(sum(x^2)))
#
D <- s * c(4, 6, 5) # signal strength varries as per the value of s
or <- order(D, decreasing = TRUE)
U <- U[, or]
V <- V[, or]
D <- D[or]
C <- U %*% (D * t(V)) # simulated coefficient matrix
intercept <- rep(0.5, q) # specifying intercept to the model:
C0 <- rbind(intercept, C)
#
Xsigma <- 0.5^abs(outer(1:p, 1:p, FUN = "-"))
# Simulated data
sim.sample <- gofar_sim(U, D, V, n, Xsigma, C0, familygroup, snr)
# Dispersion parameter
pHI <- c(rep(sim.sample$sigmaG, q1), rep(1, q2), rep(1, q3))
X <- sim.sample$X[1:n, ]
Y <- sim.sample$Y[1:n, ]
simulate_gofar <- list(Y = Y,X = X, U = U, D = D, V = V, n=n,
Xsigma = Xsigma, C0 = C0, familygroup = familygroup)
```

simulate_gofar *Simulated data for GOFAR*

Description

Simulated data with low-rank and sparse coefficient matrix.

Usage

```
data(simulate_gofar)
```

Format

A list of variables for the analysis using GOFAR(S) and GOFAR(P):

Y Generated response matrix

X Generated predictor matrix

U specified value of U

V specified value of V

D specified value of D

n sample size

Xsigma covariance matrix used to generate predictors in X

C0 intercept value in the coefficient matrix

familygroup index set of the type of multivariate outcomes: "1" for Gaussian, "2" for Bernoulli, "3" for Poisson outcomes Mishra, Aditya, Dipak K. Dey, Yong Chen, and Kun Chen. Generalized co-sparse factor regression. Computational Statistics & Data Analysis 157 (2021): 107127

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